



# Competence Center for Gas Exchange



”Charging for the future”



**VOLVO**



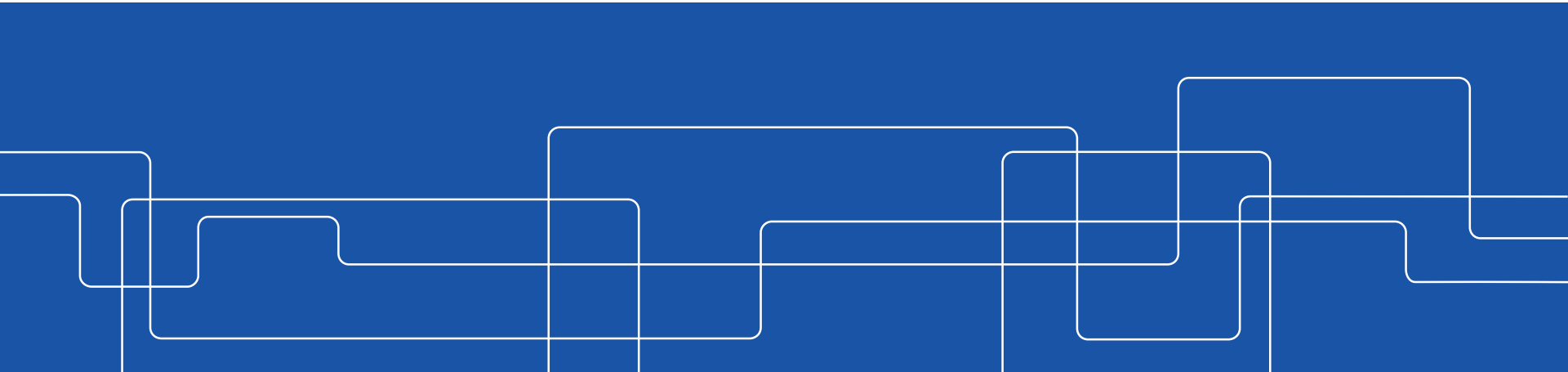
**BorgWarner**



# Flow Exergy Analysis of a Turbocharger Radial Turbine

Shyang Maw Lim

Supervisors: Mihai Mihaescu, Anders Dahlkild,  
Christophe Duwig, Laszlo Fuchs



Energimyndigheten



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# Research Questions

- How the turbine performance (e.g. pressure ratio, power) affected by heat transfer?
- What are the mechanisms of heat transfer related losses and how can we quantify them?
- How the upstream exhaust manifolds and flow instabilities affect heat transfer and turbine performance?
- How different exhaust valve strategies affects the heat transfer and turbine performance?



# Research Questions

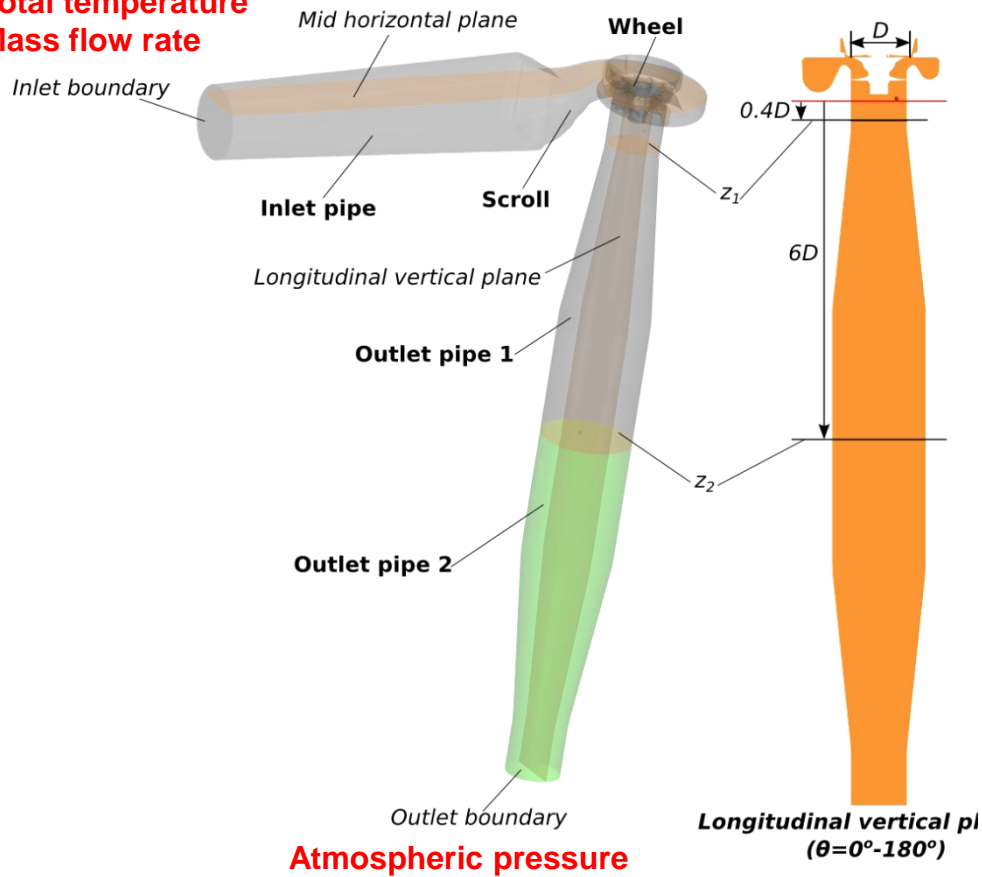
- How the turbine performance (e.g. pressure ratio, power) affected by heat transfer?
- What are the mechanisms of heat transfer related losses and how can we quantify them?

today's topics with selective results

- How the upstream exhaust manifolds and flow instabilities affect heat transfer and turbine performance?
- How different exhaust valve strategies affects the heat transfer and turbine performance?

# Computational Setup

**Total temperature**  
**Mass flow rate**

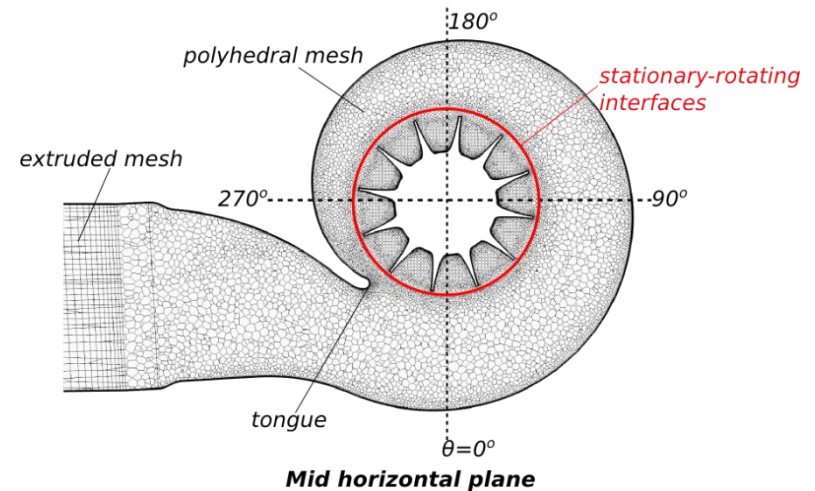
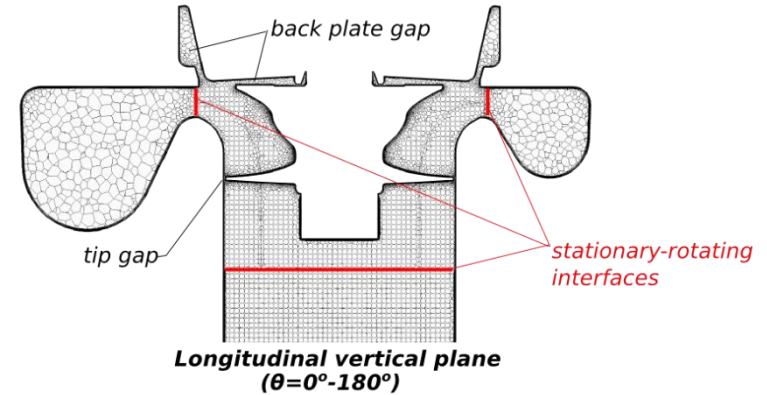
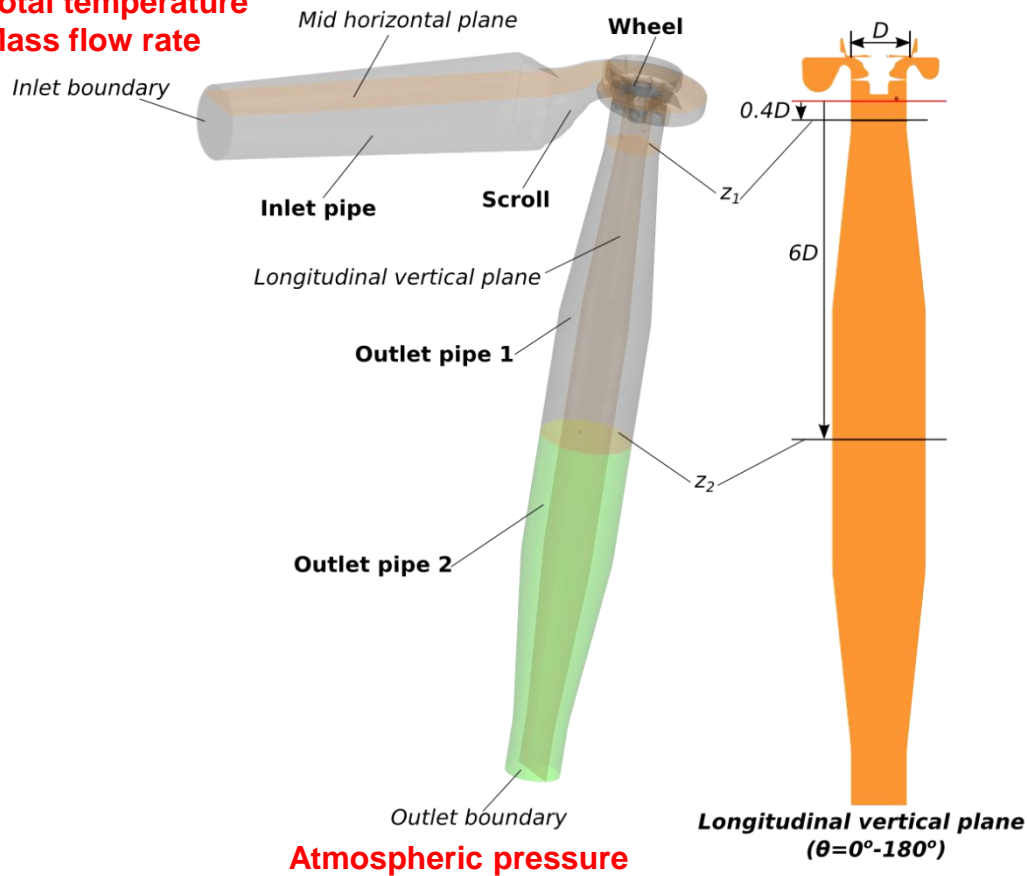






# Computational Setup

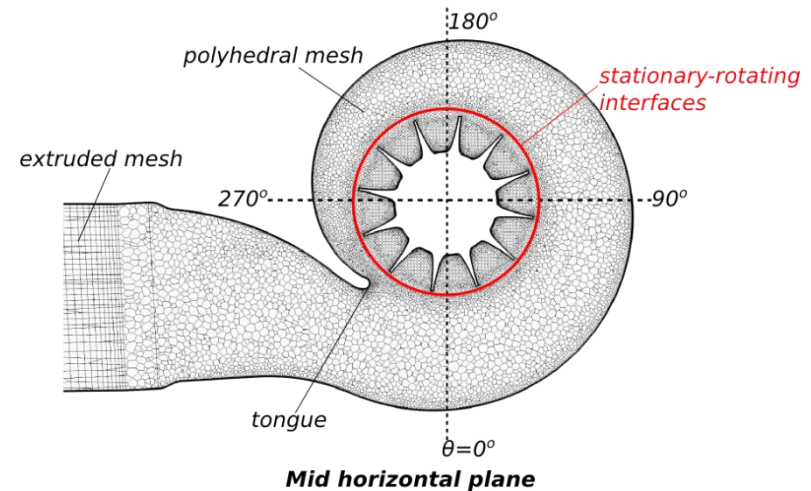
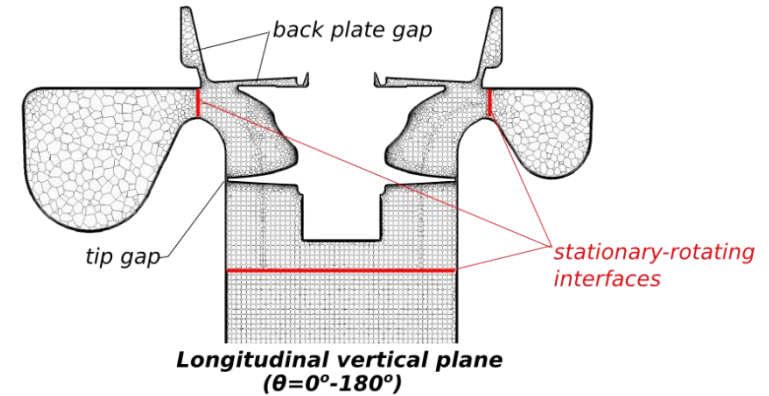
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# Computational Setup

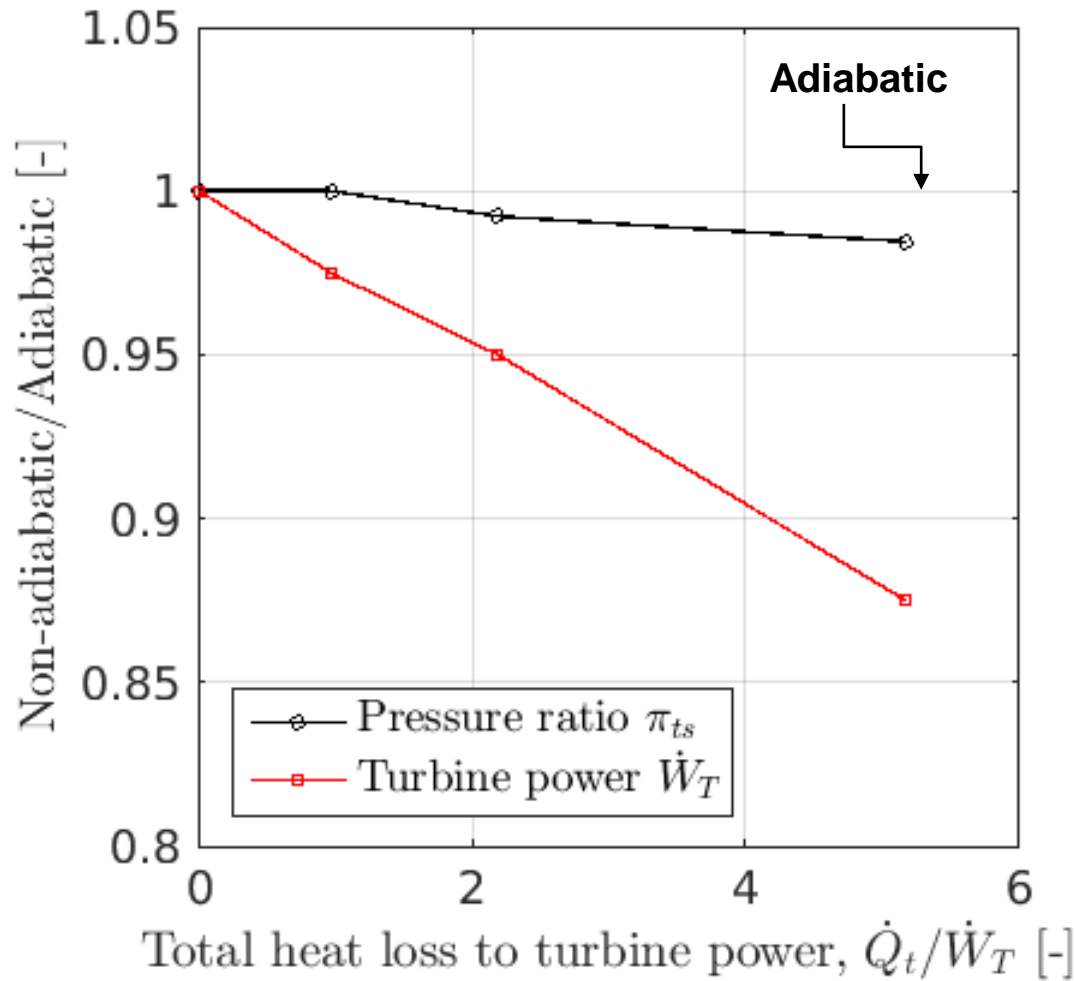
- ~ 9 millions polyhedral cells
- $Y^+ \sim 1$
- SST  $k-\omega$  Detached Eddy Simulation (DES)
- Wheel rotation: Sliding mesh







# Energy Balance Analysis

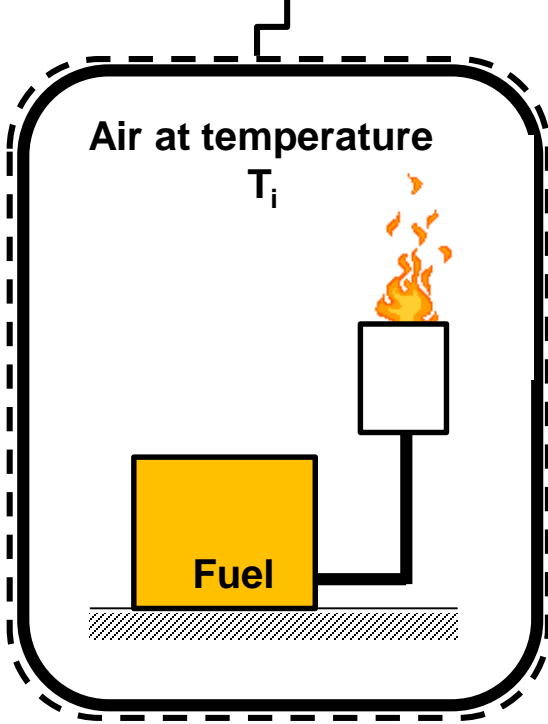


- Turbine power is sensitive to heat loss.
- Pressure ratio is relatively insensitive to heat loss.  
OBS:  
*We are predicting the pressure, not specifying as boundary conditions.*
- Energy balance's drawback: unable to quantify the mechanisms of heat transfer related losses.

$$\dot{Q}_t = \sum \dot{Q}_i \quad \dot{W}_T = \iint_{S_{wheel}} [(\vec{r} \times \vec{f}) \cdot \vec{\omega}] dS$$

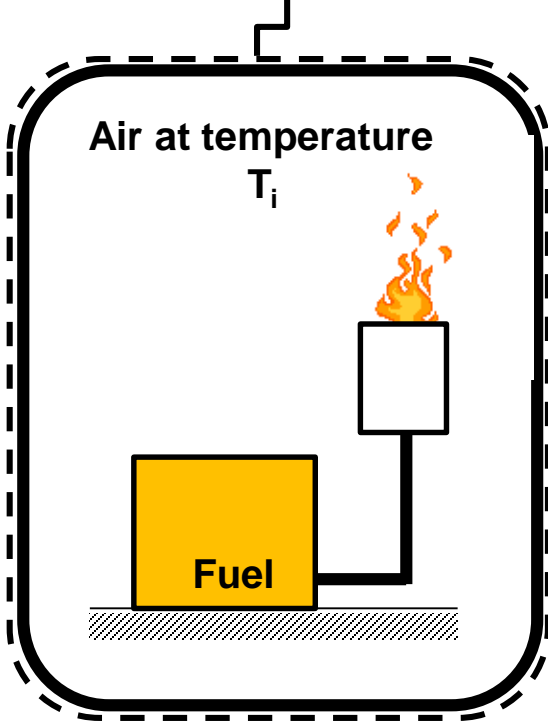
# Energy vs. Exergy

Boundary of the isolated system



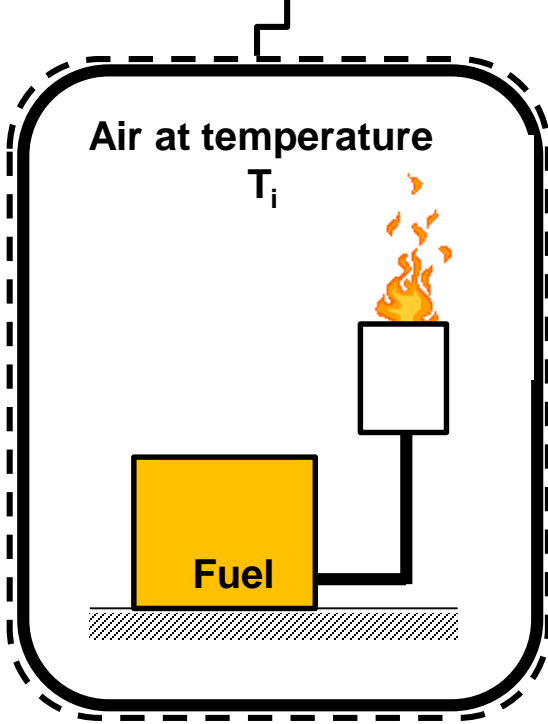
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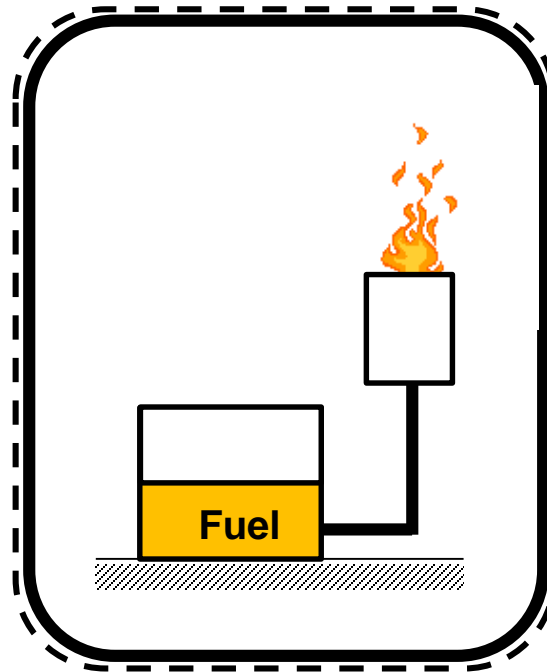
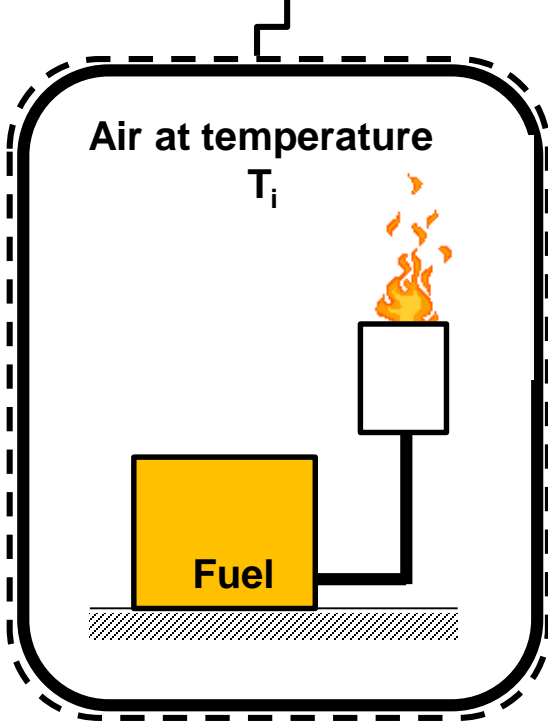
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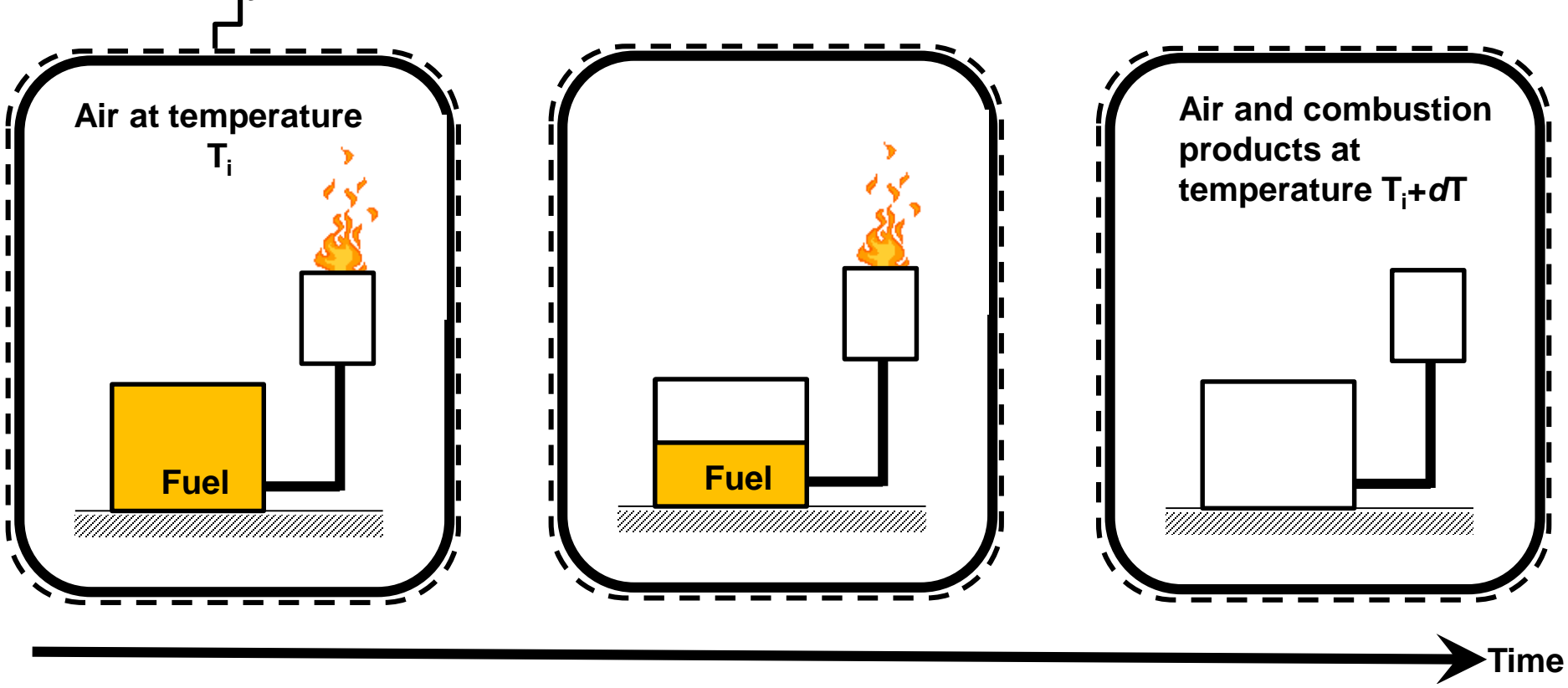
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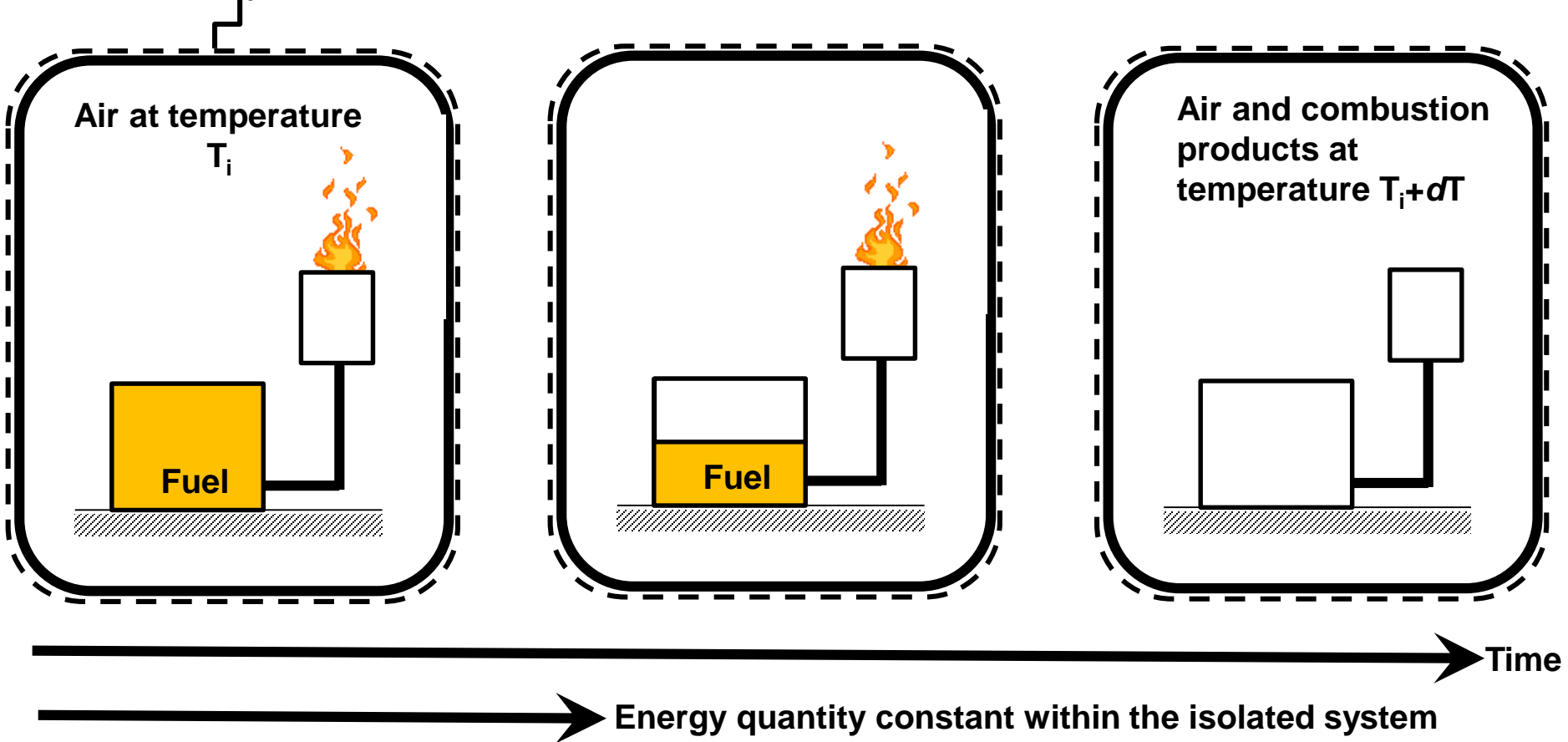
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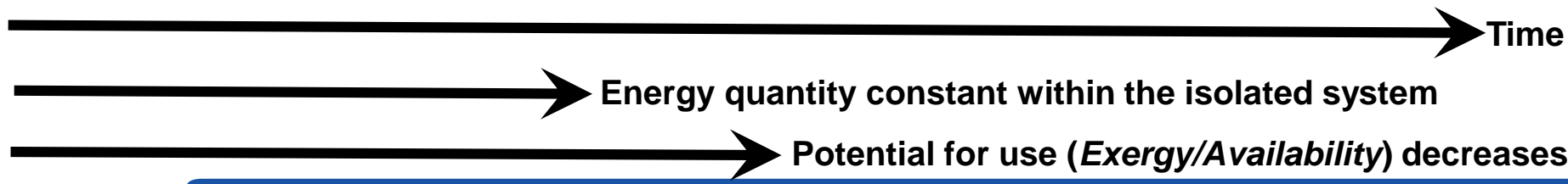
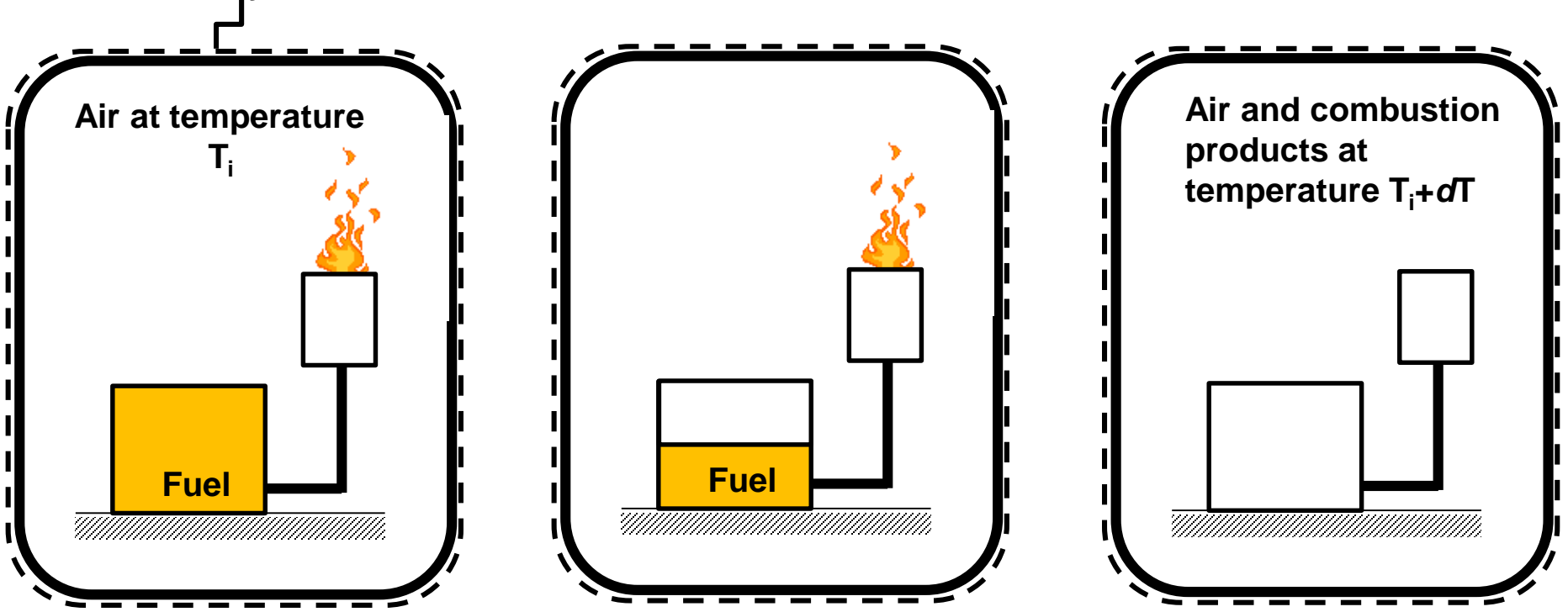
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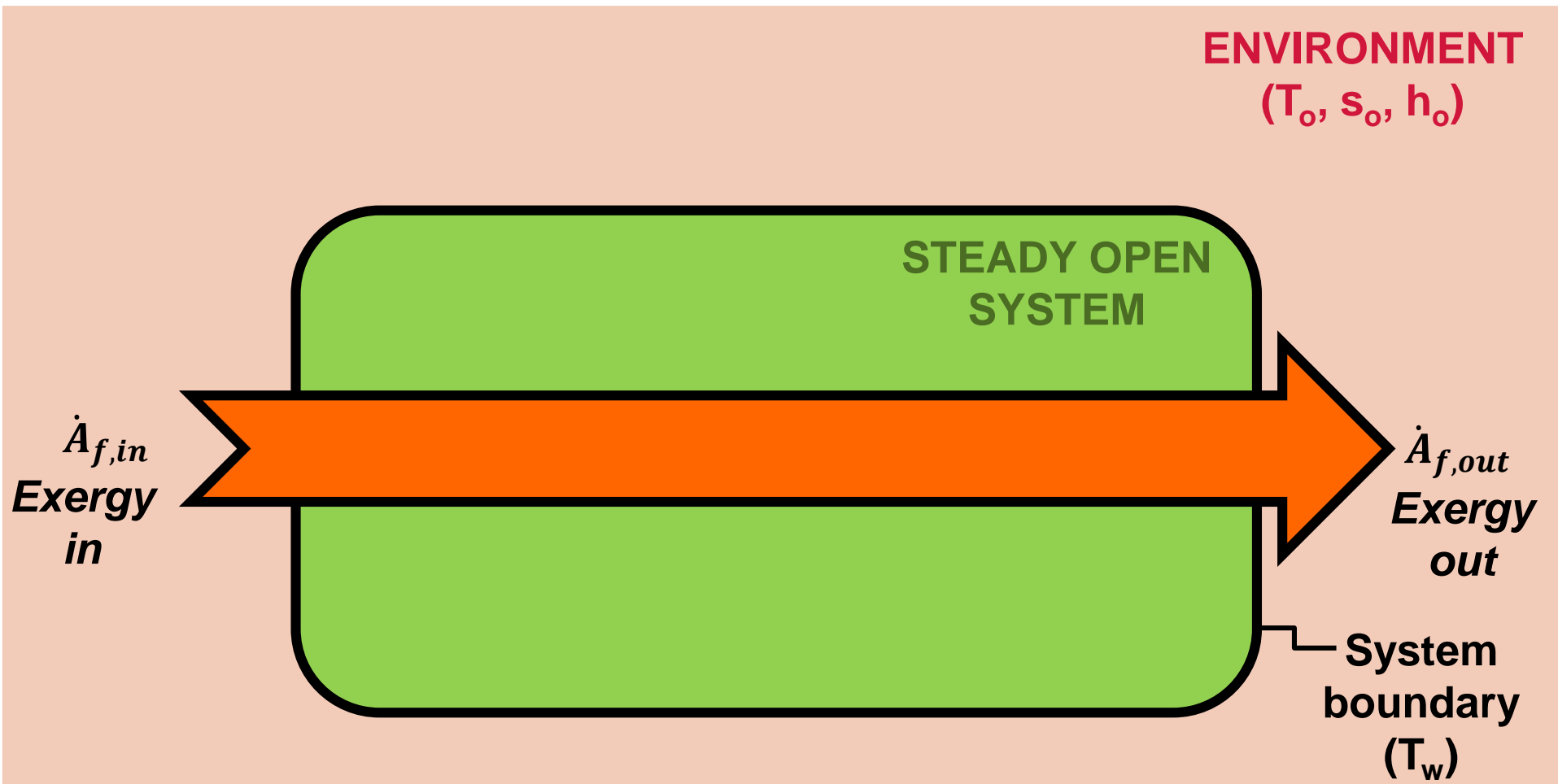


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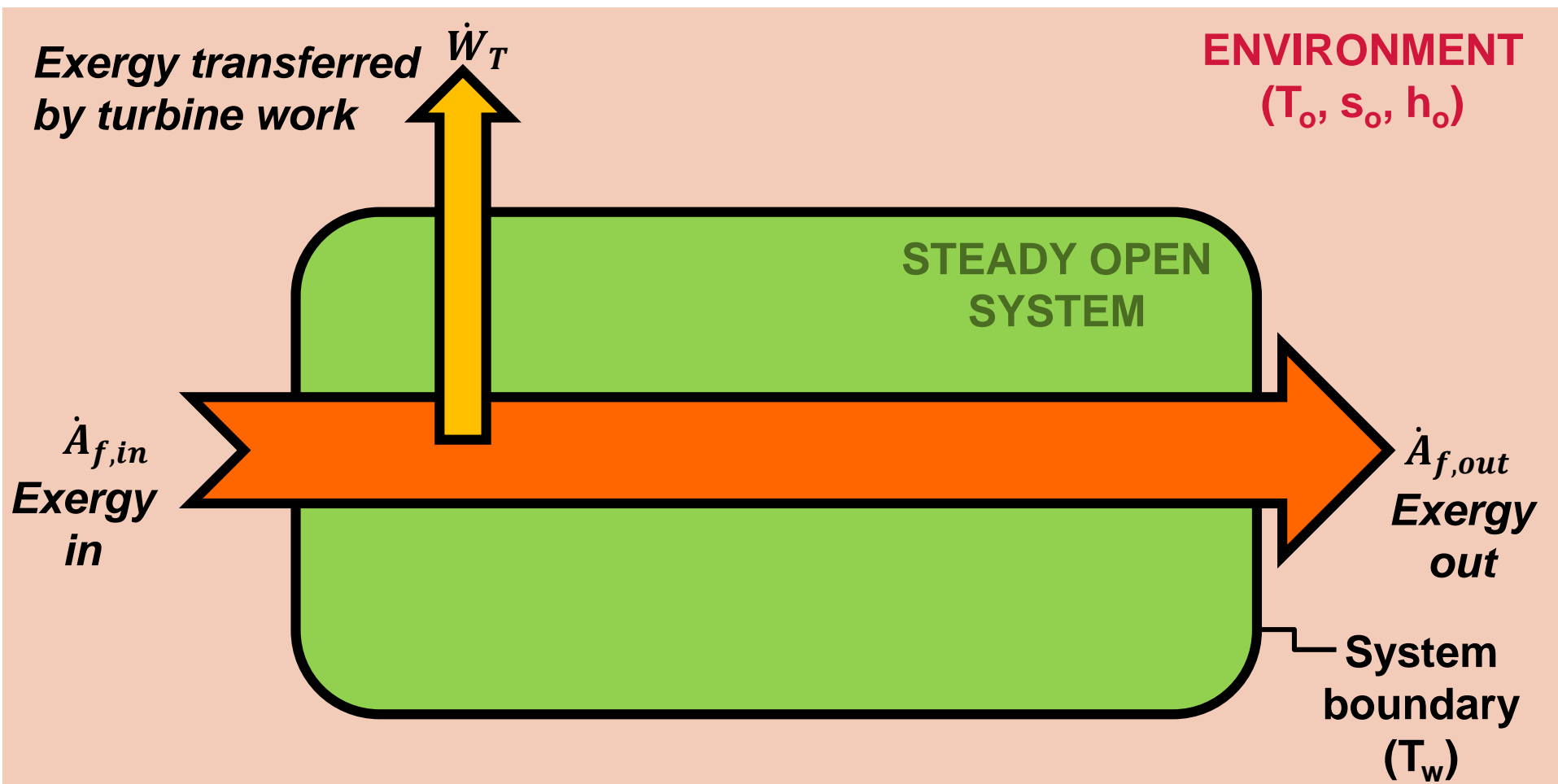


# Losses Mechanisms



$$\dot{A}_f = \dot{m} \left[ (h - h_o) - T_o(s - s_o) + \frac{U^2}{2} \right]$$

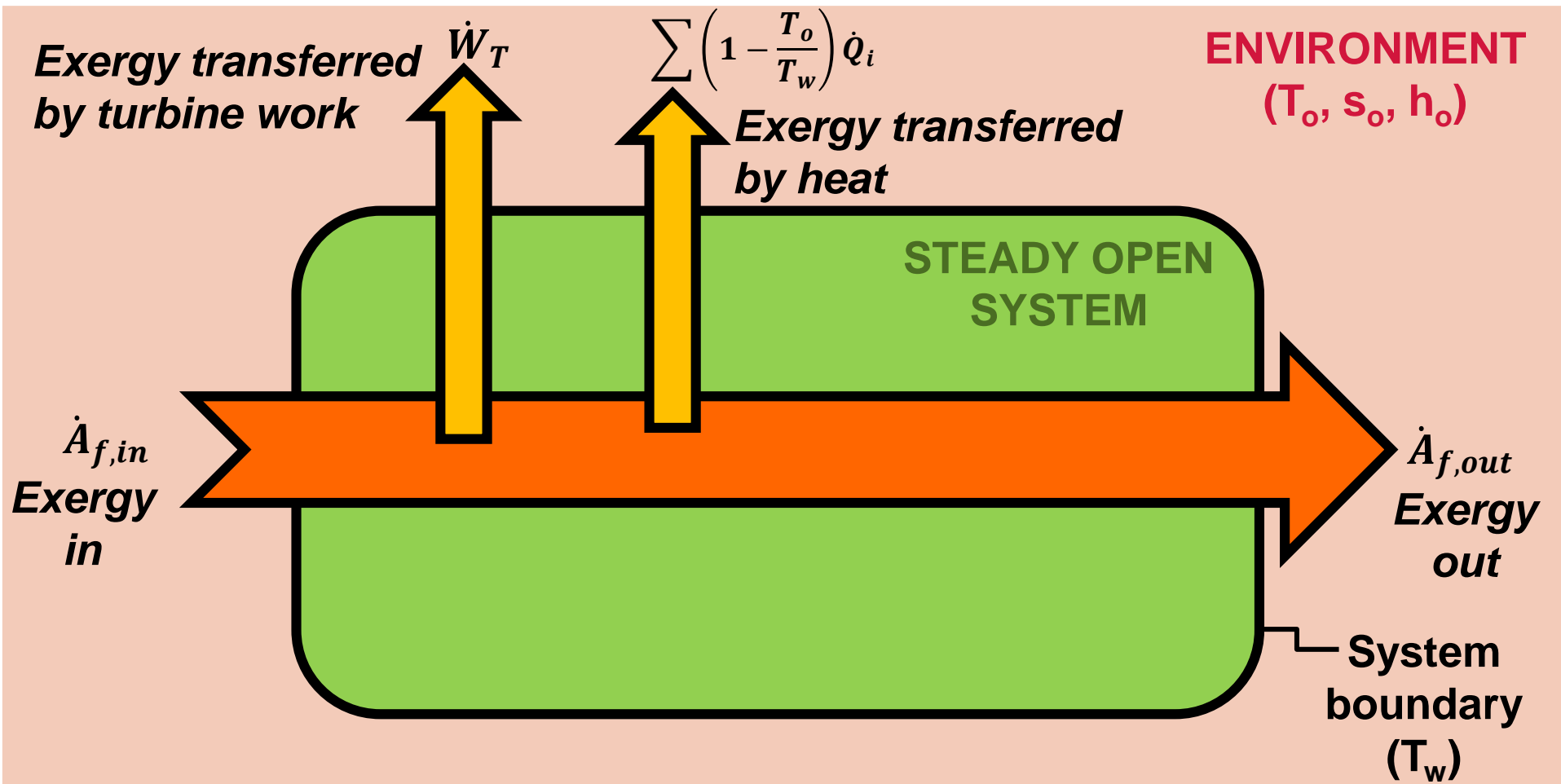
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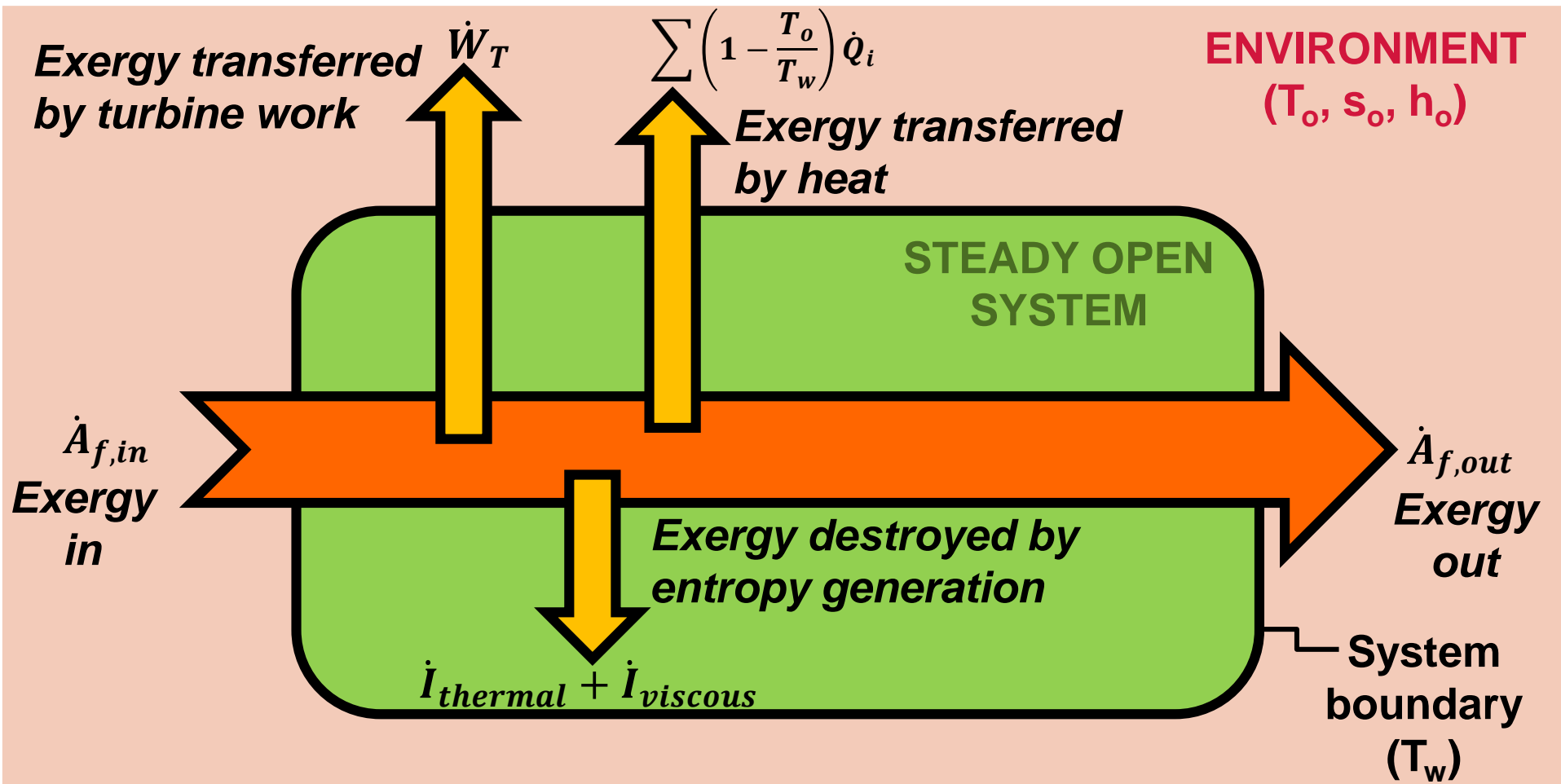


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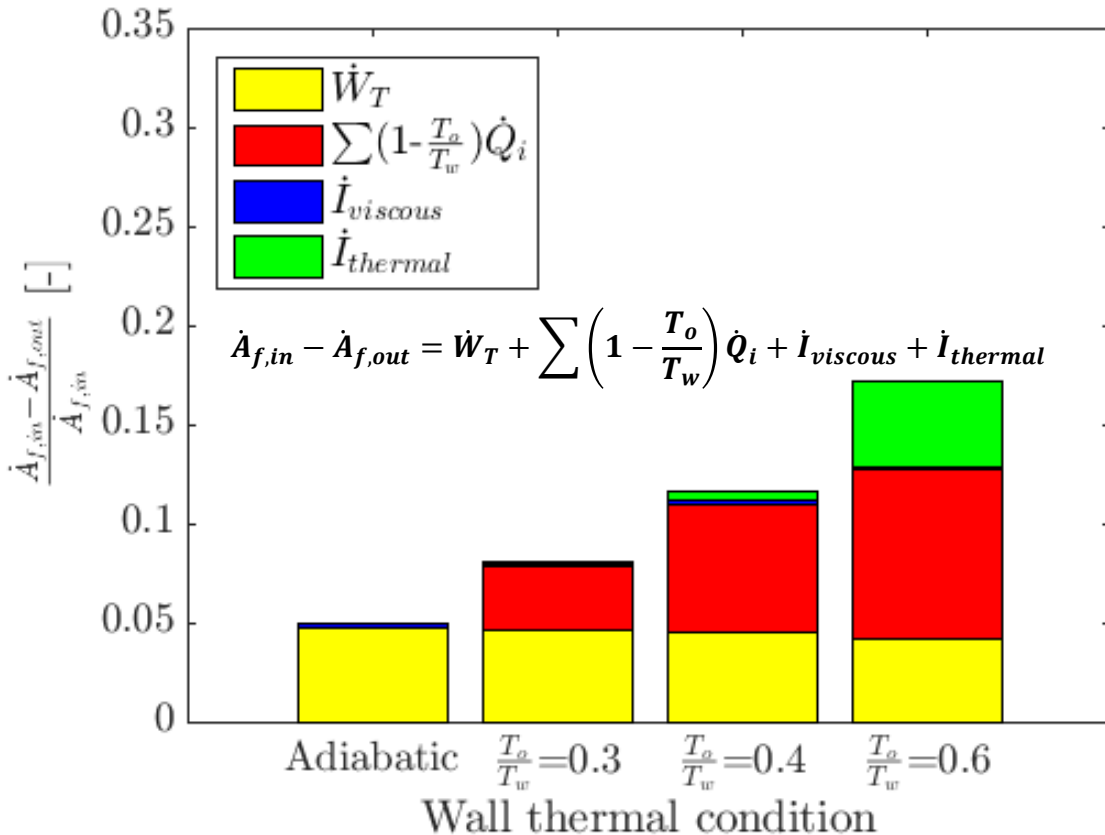
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# Overall Exergy Budget



- Heat transfer decreases exergy through heat flow and thermal entropy generation.

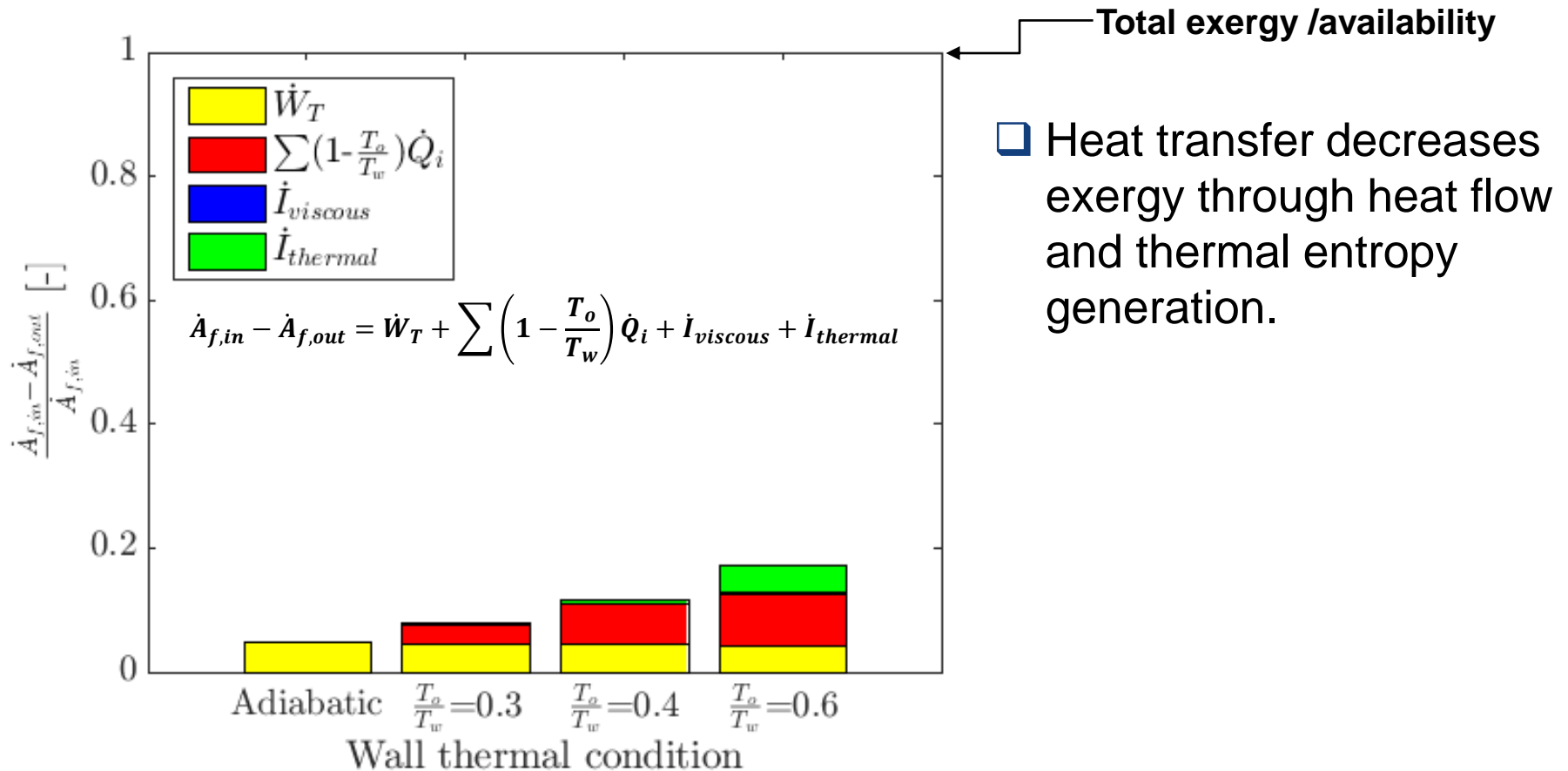
$$\dot{Q}_i = \iint_{S_i} \vec{q} \cdot d\vec{S}$$

$$\dot{I}_{thermal} = T_o \iiint_{V_{cv}} \frac{\lambda}{T^2} (\nabla T)^2 dV$$

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# Overall Exergy Budget

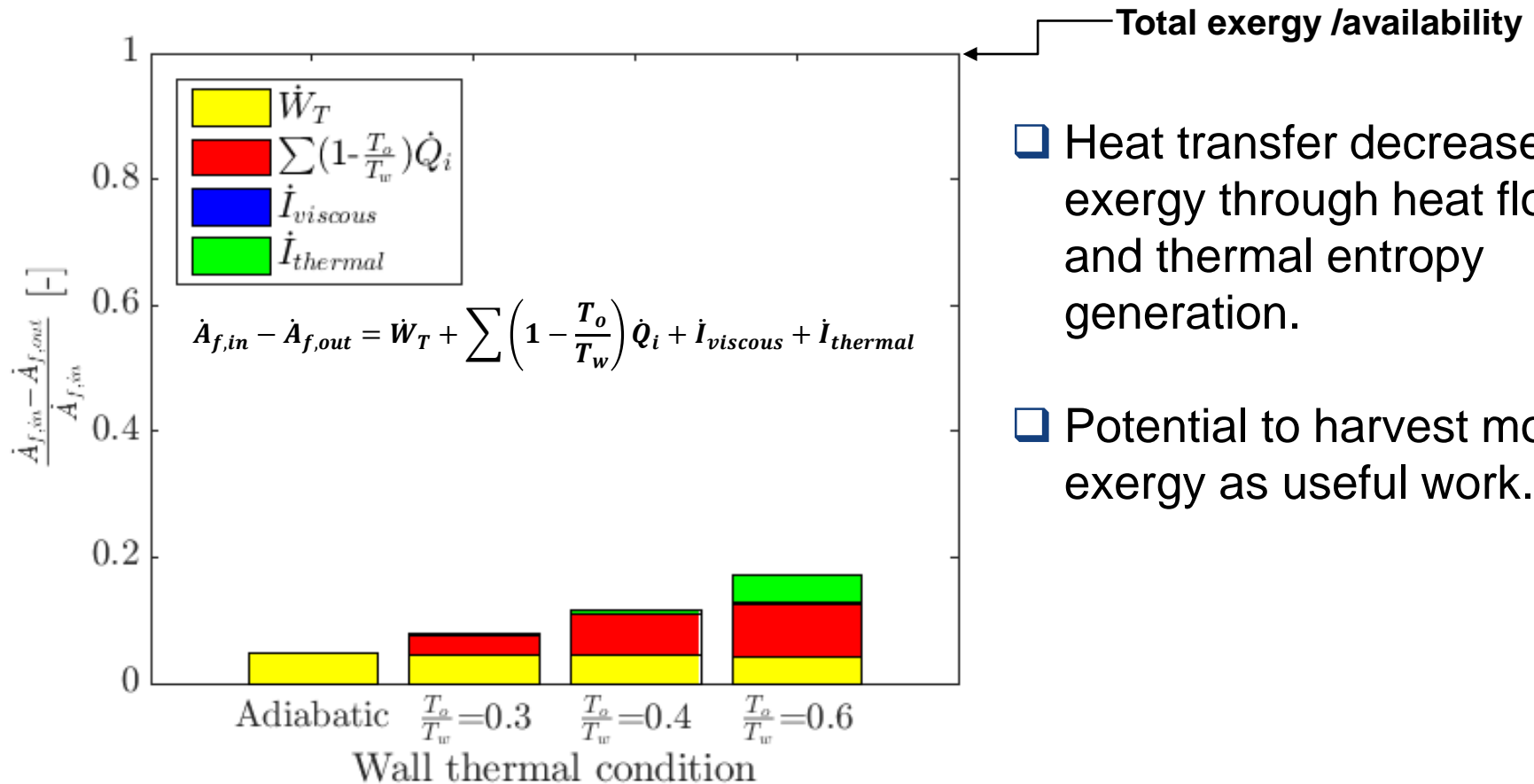


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# Overall Exergy Budget



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- Potential to harvest more exergy as useful work.

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# Conclusions

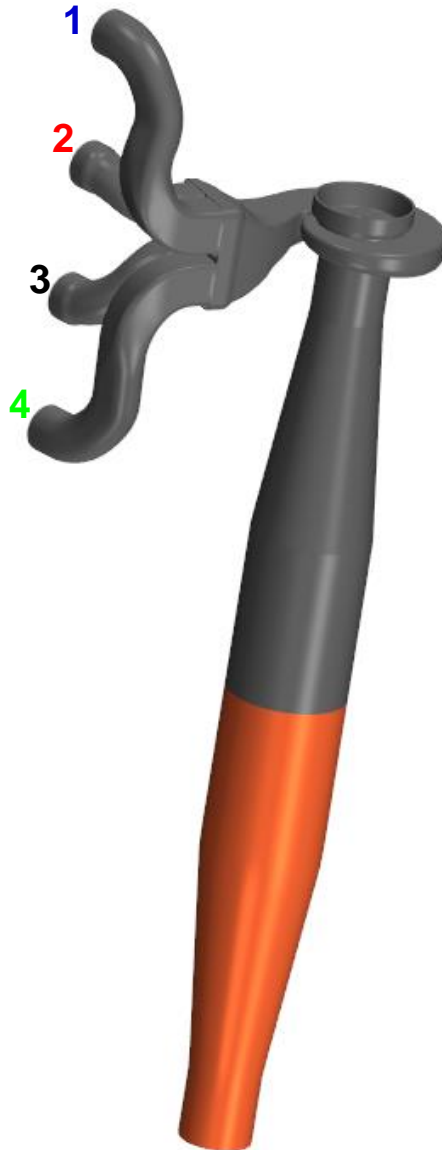
- ❑ Turbine power is sensitive, but pressure ratio is relatively insensitive to heat loss.
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# Conclusions

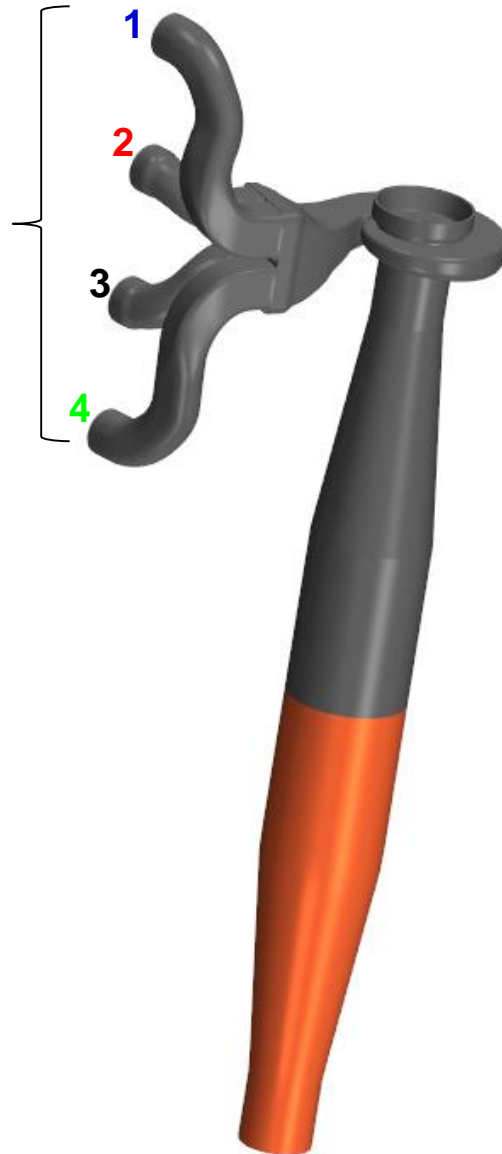
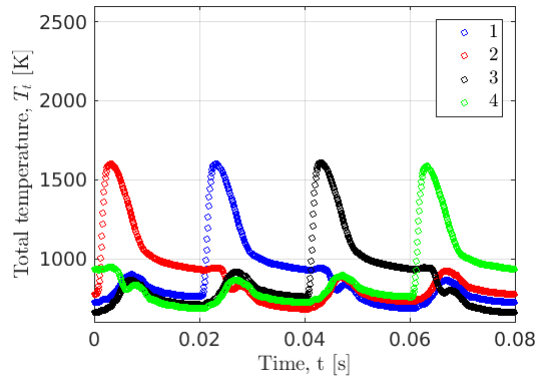
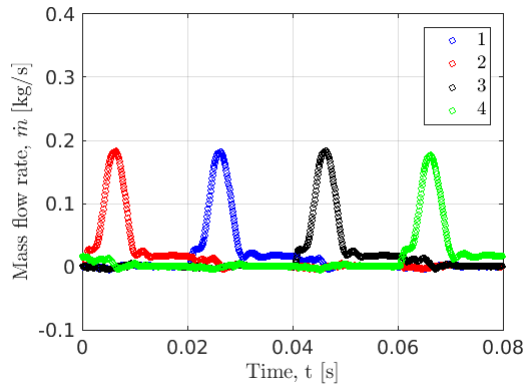
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- ❑ Possible to quantify heat transfer related losses by using *Exergy* approach.
- ❑ Potential to harvest more exergy as useful work in the system (engine-like pulsating flow scenario).
  - ⇒ Optimum exhaust valve strategy
  - ⇒ Turbine design

# On-going work



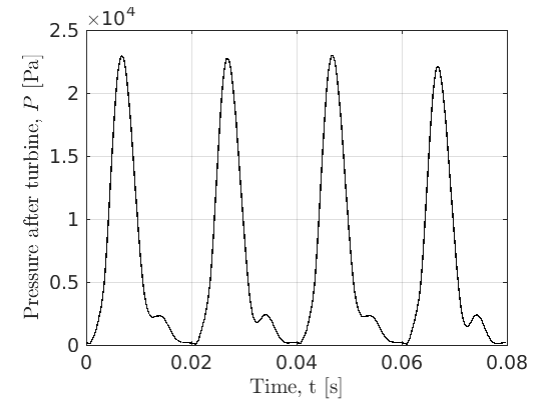
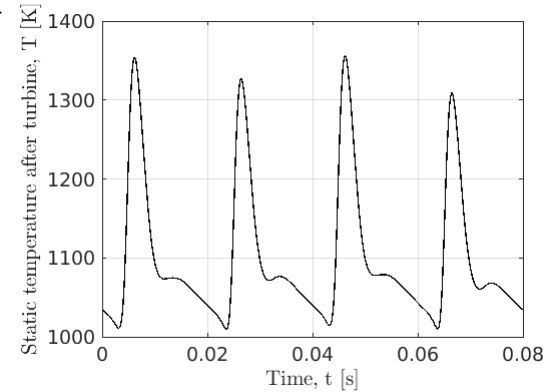
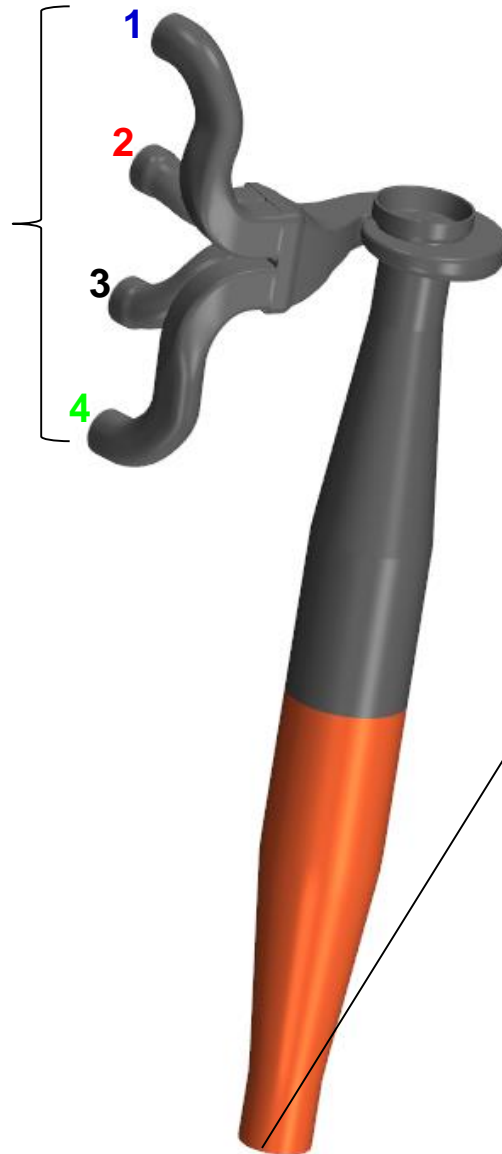
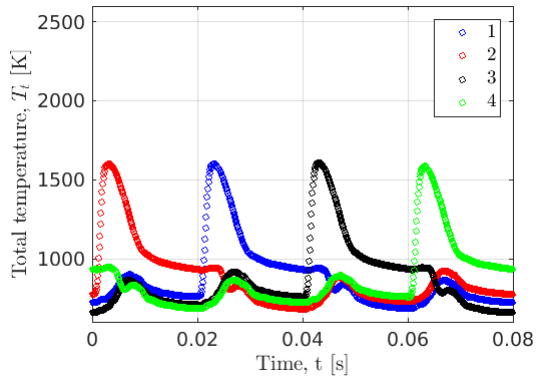
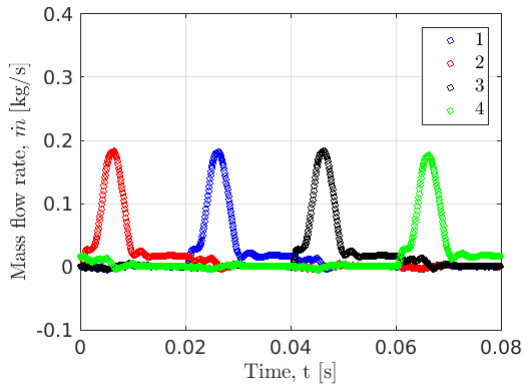
# On-going work

Example:  $n_{engine}=1500 \text{ rpm}$



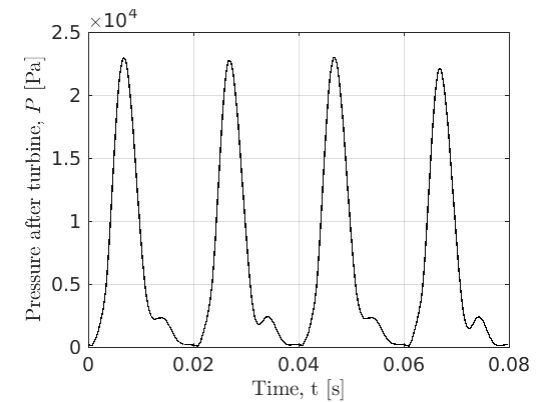
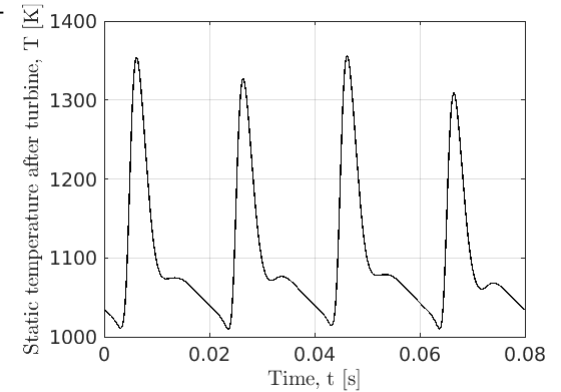
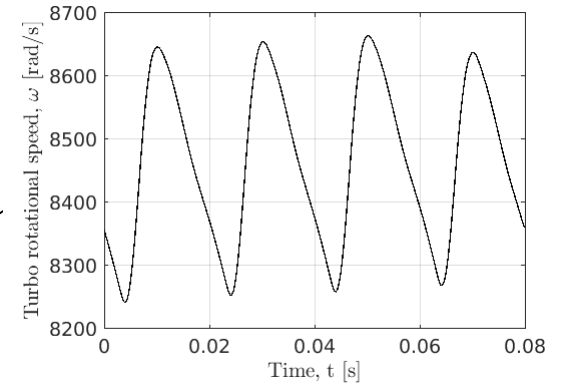
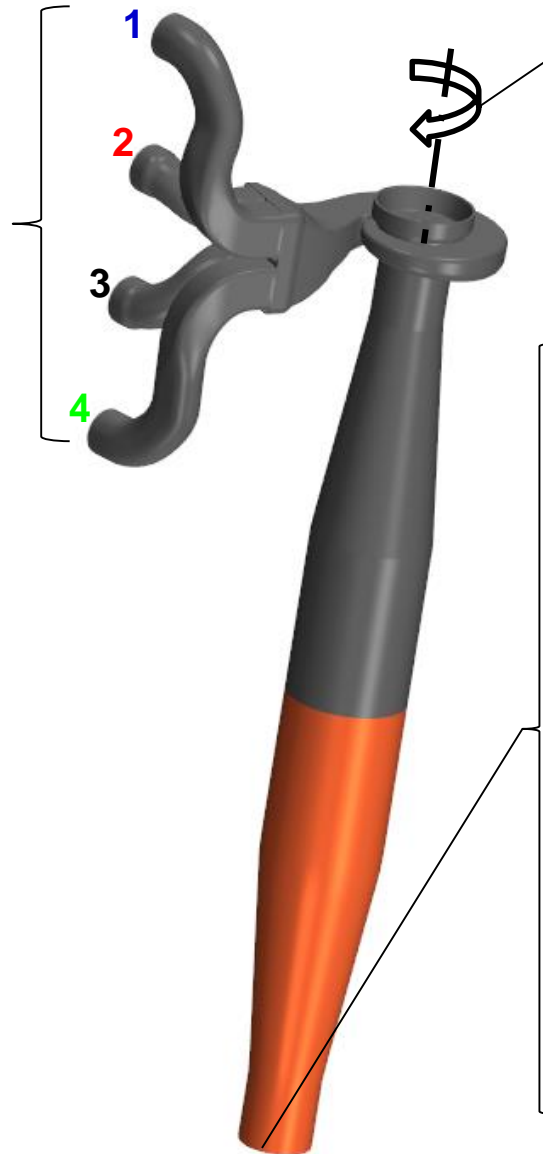
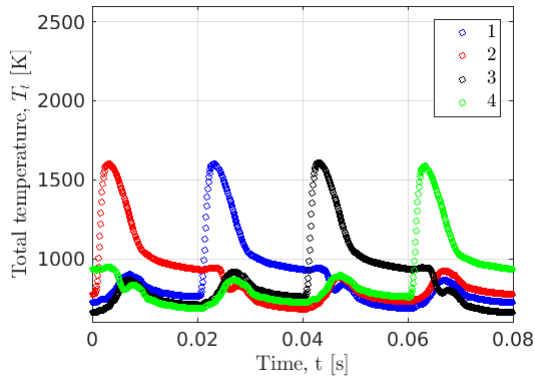
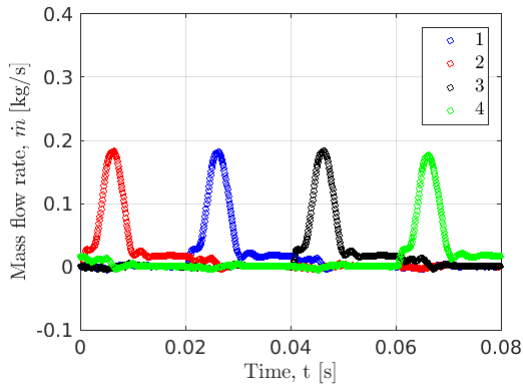
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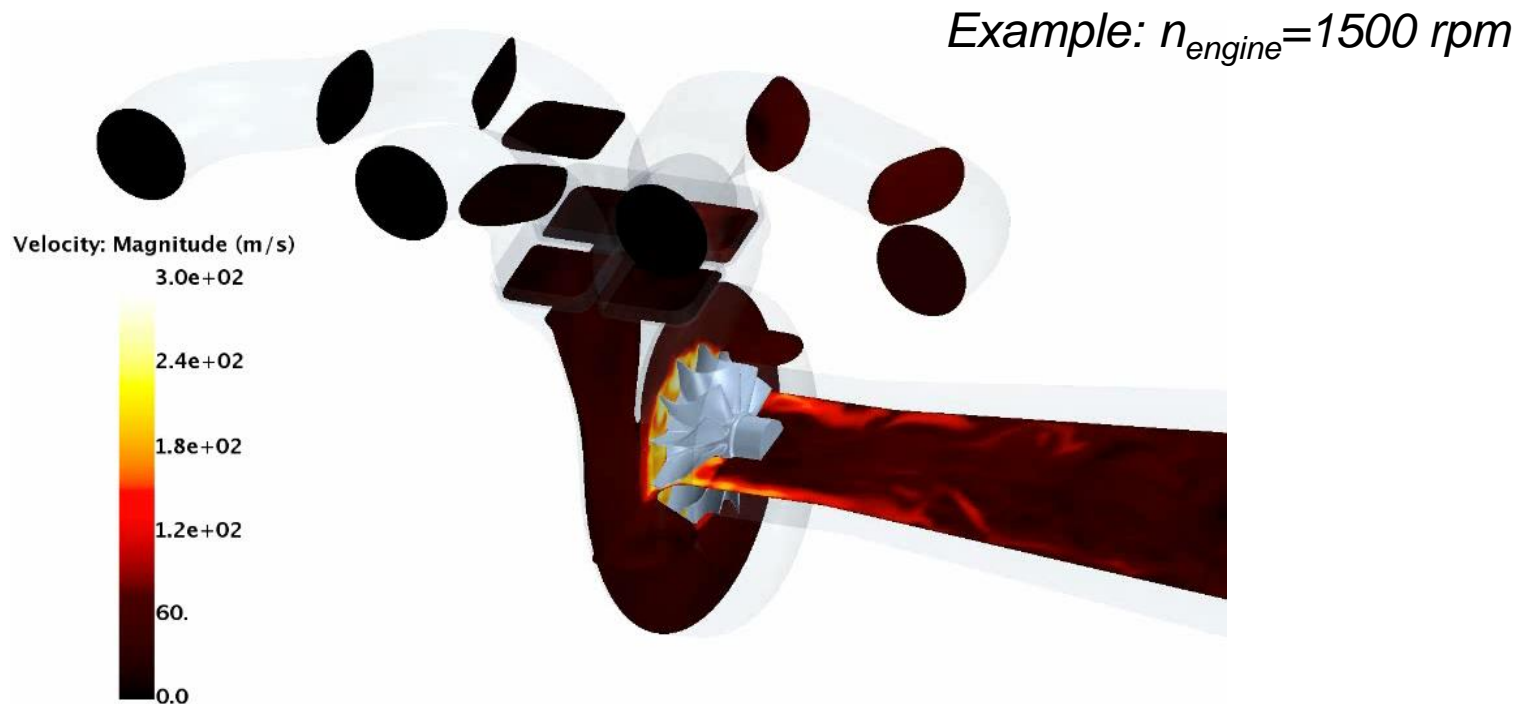
Example:  $n_{\text{engine}} = 1500 \text{ rpm}$





# Future work

- Extend exergy analysis on turbine operating under engine-like pulsating conditions to assess upstream exhaust manifolds and flow instabilities on heat transfer and performance.
- Explore different exhaust valve strategy (e.g. pulse shape, frequency, amplitude) for better utilization of exhaust gas flow exergy.





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